QUENCHED NONEQUILIBRIUM CENTRAL LIMIT THEOREM FOR A TAGGED PARTICLE IN THE EXCLUSION PROCESS WITH BOND DISORDER

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ABSTRACT. For a sequence of i.i.d. random variables $\{\xi_x:x\in\mathbb{Z}\}$ bounded above and below by strictly positive finite constants, consider the nearest-neighbor one-dimensional simple exclusion process in which a particle at x (resp. x+1) jumps to x+1 (resp. x) at rate ξ_x . We examine a quenched nonequilibirum central limit theorem for the position of a tagged particle in the exclusion process with bond disorder $\{\xi_x:x\in\mathbb{Z}\}$. We prove that the position of the tagged particle converges under diffusive scaling to a Gaussian process if the other particles are initially distributed according to a Bernoulli product measure associated to a smooth profile $\rho_0:\mathbb{R}\to[0,1]$.

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